



## Unravel Anomalies: An End-to-end Seasonal-Trend Decomposition Approach for Time Series Anomaly Detection

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### **TASK: Time series anomaly detection (TAD)** $\mathcal{X} = [X_1, X_2, \dots, X_T], X_i \in \mathbb{R}^D$

If  $S_i \geq \epsilon$ 

 $Y_{i} = 1$ 

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Input: time series

↓ Anomaly score series

 $\mathcal{S} = [s_1, s_2, \dots, s_T], s_i \in \mathbb{R}$ 

 $= [y_1, y_2, \dots, y_T], y_i \in \{0, 1\}$ 

[DAGMM @ICLR'18]

[COPOD @ICDM'20]

[DWT-MLEAD @ITISE'17]

[DSPOT @KDD'17]

[LSTM-VAE @JEEE RAL'18]

[OmniAnomaly @KDD'19]

- **Time Series Anomaly:** The deviation of anomalous points • from the distribution of normal samples.
- Mostly used method: Modeling the anomaly score •







#### **Challenges in TAD task:**

- Variability and Complexity: Time-series data can exhibit complex patterns such as seasonality, trends, and noise, making anomaly detection challenging.
- Data Quality: Issues with data quality, such as missing values or noise, can complicate the detection process.

#### **Need for a Method that Can Handle Diverse Anomalies**

- Robustness: robust against noise, providing reliable results across diverse data origins
- Adaptability: adapting to diverse nature of anomalies and the complex patterns in time-series data <sup>[1,2]</sup>



[1] Kwei-Herng Lai, Daochen Zha, Junjie Xu, Yue Zhao, Guanchu Wang, and Xia Hu, "Revisiting time series outlier detection: Definitions and benchmarks," in Thirty-fifth Conference on Neural Information Processing Systems Datasets and Benchmarks Track, 2021.

[2] Jiehui Xu, Haixu Wu, Jianmin Wang, and Mingsheng Long, "Anomaly transformer: Time series anomaly detection with association discrepancy," in International Conference on Learning Representations, 2021.

[3] Yan, Peng, et al. "A comprehensive survey of deep transfer learning for anomaly detection in industrial time series: Methods, applications, and directions." IEEE Access (2024).





Q: Is this statement Real?

In recent years, deep learning models have surpassed classical techniques in TAD tasks.

These models generally fall into two categories:





Despite their overall accuracy, many of these models fail to account for the complex compositional nature of patterns in time-series data or distinguish between different types of anomalies.

## The proposed solution: TADNet



Leveraging decomposition, our approach uniquely break down these complex composite patterns.

Furthermore, different types of anomalies can be systematically associated with their respective components: seasonal anomalies with the seasonal component, trend anomalies with the trend component, and point anomalies with the remainder component.



Schematic of the STD and TAD workflow

## **Two-Phase Training Strategy**



Although existing research has incorporated time-series decomposition into TAD task<sup>[1, 2]</sup>, these approaches do not follow an end-to-end training manner. Specifically, they either depend on *predefined decomposition algorithms* with complex parameter tuning<sup>[2]</sup>, or employ decomposition only for data preprocessing<sup>[1]</sup>.

To overcome the lack of supervised signals for end-to-end training, we introduce a novel two-step training approach:

- 1. **Pre-training** on Synthetic Datasets
- 2. Fine-tuning for Precise Anomaly Detection



Overall workflow of TADNet.

[1] Shuxin Qin, Jing Zhu, Dan Wang, Liang Ou, Hongxin Gui, and Gaofeng Tao, "Decomposed transformer with frequency attention for multivariate time series anomaly detection," in 2022 IEEE International Conference on Big Data (Big Data). IEEE, 2022, pp. 1090–1098.

[2] Jingkun Gao, Xiaomin Song, Qingsong Wen, Pichao Wang, Liang Sun, and Huan Xu, "Robusttad: Robust time series anomaly detection via decomposition and convolutional neural networks," arXiv preprint arXiv:2002.09545, 2020.

## Synthetic Datasets



	trend	seasonal	remainder							
Generate process	Deterministic linear trend and random ARIMA(0,2,0) model $\tau_t^{(d)} = \beta_0 + \beta_1 \cdot t$ $\tau_t^{(s)} = \sum_{n=1}^t nX_n$ $\Delta^2 \tau_t^{(s)} = X_t$	Deterministic periodic terms $s_t^{(s)} = \tau_{mod(t+\phi,T_0)}^{(s)}$	White noise process $r_t \sim \mathcal{N}(0, \sigma^2)$							
Details	$\beta_0$ and $\beta_1$ are tunable parameters, white noise $X_t$ follows a normal distribution	Period $T_0$ and phase $\phi$ with gradual adjustments over time	Adjust the noise variance $\sigma^2$ to fit different data distributions							
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Synthetic Datasets Visualization										

## **Clearer classification**



#### Commonly used

but somehow confusing



### **Experimental Validation**



_		]	Table 2.	Details of the								
	Dataset	#Entities	#Dim	#Train	#Test(labeled)	Anomaly%	Ablation	UCR	SMD	SWaT	PSM	WADI
[KDD' 21]	UCR	4	1	1,200-3,000	4,500-6,301	1.9	TADNet	98.74	93.35	90.21	98.66	88.15
[KDD' 19]	SMD	28	38	23.6K-28.7K	23.6K-28.7K	4.2	w/o Sep	32.68	66.24	76.89	83.28	47.66
[CySWater' 16]	WADI	1	127	789,371	172,801	5.9	w/o Decomp	48.69	84.12	88.41	95.57	65.72
[CySWater' 16]	SWaT	1	51	496,800	449,919	12.1	w/o Augment	40.12	74.17	83.26	98.01	62.15
[KDD'21]	PSM	1	25	132,481	87,841	27.8	Iterative	99.12	92.14	86.55	96.58	92.06

 $\checkmark$  without finetuning on synthetic datasets

**Table 1**. Quantitative results for TADNet across five real-world datasets use metrics P, R, and F1 for precision, recall, and F1-score (%). Higher values indicate better performance. Best and second-best results are in bold and underlined, respectively. Dataset are followed by brackets, where u indicates univariate and m multivariate.

	Dataset	<b>UCR</b> $(u)$			<b>SMD</b> ( <i>m</i> )			SWaT (m)			<b>PSM</b> ( <i>m</i> )			WADI (m)		
	Metric	Р	R	F1	Р	R	F1	P	R	F1	Р	R	F1	Р	R	F1
[NeurComput.'01]	OCSVM	41.14	94.00	57.23	44.34	76.72	56.19	45.39	49.22	47.23	62.75	80.89	70.67	61.89	62.31	62.10
[IJCAI'19]	BeatGAN	45.20	88.42	59.82	72.90	84.09	78.10	64.01	87.46	73.92	90.30	93.84	92.04	65.13	38.32	48.25
[SIGKDD'19]	OmniAnomaly	64.21	86.93	73.86	83.34	94.49	88.57	86.33	76.94	81.36	91.61	71.36	80.23	31.58	65.41	42.60
[SIGKDD'21]	InterFusion	60.74	95.20	74.16	87.02	85.43	86.22	80.59	85.58	83.01	83.61	83.45	83.52	80.26	30.38	44.08
[ICLR'21]	AnomalyTran	72.80	99.60	84.12	89.40	95.45	<u>92.33</u>	91.55	96.73	94.07	96.91	98.90	<u>97.89</u>	80.30	79.23	79.76
[PVLDB'22]	TranAD	94.07	100.00	96.94	88.03	89.42	88.72	97.60	69.97	81.51	96.44	87.37	91.68	35.29	82.96	49.51
[IEEEBigData'22]	DecompTran	71.58	96.83	82.31	89.32	93.94	91.57	95.17	80.30	87.10	97.65	87.21	92.14	79.40	81.01	80.20
_	TADNet(Ours)	97.51	100.00	98.74	94.81	91.93	93.35	92.15	88.35	90.21	98.12	99.21	98.66	94.03	82.96	88.15







#### Visualization of decomposition and detection results in UCR and SMD.

The first row shows the raw time series with anomalies, the second and third rows display the seasonal and trend components, respectively, and the final row depicts the reconstruction error. Anomalies are marked with a red background.

## **Back to the question**

Time



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In recent years, deep learning models have surpassed classical techniques in TAD task.



[2] Kim, Siwon, et al. "Towards a rigorous evaluation of time-series anomaly detection." Proceedings of the AAAI Conference on Artificial Intelligence. Vol. 36. No. 7. 2022. [3] Emmanouil Sylligardos, Paul Boniol, et al. 2023. Choose Wisely: An Extensive Evaluation of Model Selection for Anomaly Detection in Time Series. Proc. VLDB Endow. (July 2023).





# Thank you! Q & A



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